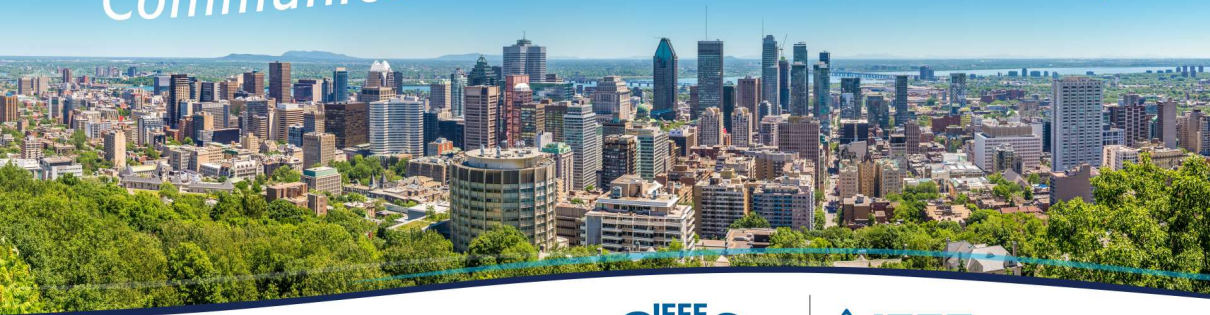




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Temperature-Aware Phase-shift Design of LC-RIS for Secure Communication

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11 June 2025



Introduction

- Motivation
- RIS implementation

System and LC model

- LC model
- System model

Temperature-aware LC-RIS phase-shift design

- Problem formulation
- Solution

Performance Comparison

- Simulation setup
- Simulation results

Conclusion and future works

Introduction



Demands:

Higher data rates and capacity are required in modern communication systems (e.g., 5G, 6G).

To provide higher data rates, expanding available **bandwidth** through increased **frequency** is essential.

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Time	XG	Aim	Data rate
1979	1G	Voice	2 - 3 kbps
1991	2G	SMS	20 - 40 kbps
1998	3G	Data	0.5 - 3 Mbps
2009	4G	Streaming	20 – 100 Mbps
2019	5G	Sensing	100 – 400 Mbps
2030	6G	Intelligence	1 – 10 Gbps

	Varactor	PIN Diode	MEMS Switch	MEMS Mirror	LC
Tuning time	ns	ns	μ s	100s of μ s	> 10 ms
Tunability	continuous	discrete (1 bit/diode)	discrete	discrete	continuous
Power consumption	medium	medium	low	low	low
Scalability	low (cost per diode)	low (cost per diode)	medium (encapsulation)	medium (cost per area)	high
Frequency range	few GHz	mm-Wave	mm-Wave	THz	> 10 GHz
Cost	high	high	high	high	low

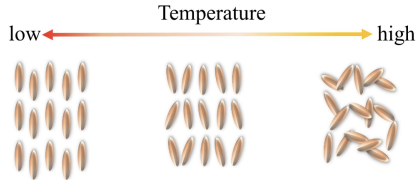
Comparison of technologies used for the realization of RIS [1].

[1] Alejandro Jiménez-Sáez et al. "RISs with LC Technology: A Hardware Design and Communication Perspective". In: arXiv:2308.03065 (2023).

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The arrangement of thermotropic LC molecules [2].

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System and LC model



$$\Delta\omega_{\max} = 2\pi l(\sqrt{\varepsilon_{r,\parallel}} - \sqrt{\varepsilon_{r,\perp}})\frac{f}{c},$$

$$\Delta\omega_{\max}(T) = 2\pi\left(\frac{T_c - T}{T_c - T_r}\right)^\beta.$$

- T_r : Reference temperature,
 T : Current temperature,
 T_c : Clearing temperature
 β : A physical constant parameter.

[3] Robin Neuder et al. "Architecture for sub-100 ms LC RIS based on defected delay lines". In: Commun. Eng. 3.1 (2024), p. 70.

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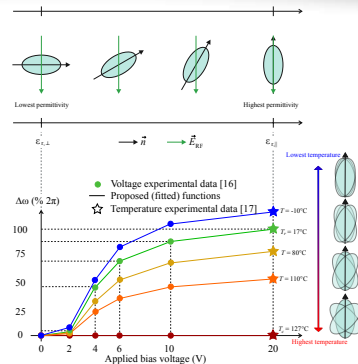


Figure: The relationship between phase shift and applied voltage for an LC at different temperatures is depicted. The experimental data is taken from [3, 4].

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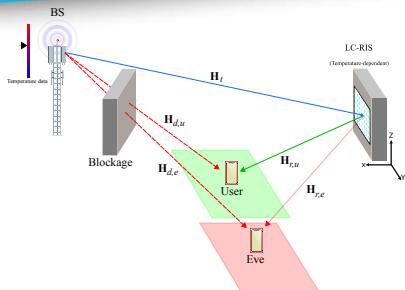


Figure: A schematic of a wireless channel model where an BS serves a legitimate user via an RIS trying to decrease the received signal by an eavesdropper.

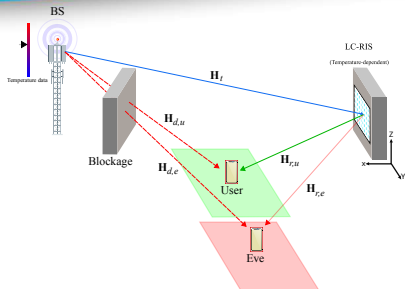


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$$SR = [\log(1 + \text{SNR}_u) - \log(1 + \text{SNR}_e)]^+,$$

$$\text{SNR}_u = \frac{|(\mathbf{h}_u^{\text{eff}})^H \mathbf{q}|^2}{\sigma_n^2},$$

$$\text{SNR}_e = \frac{|(\mathbf{h}_e^{\text{eff}})^H \mathbf{q}|^2}{\sigma_n^2},$$

where $(\mathbf{h}_g^{\text{eff}})^H$, $g = \{u, e\}$ is the end-to-end channel from the BS to the legitimate user and eavesdropper, $\mathbf{q}$ is the BS beamforming signal, and σ_n^2 is the noise power.

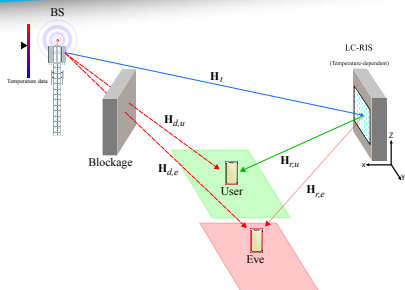


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Our goal is to maximize the secure rate (SR)

Temperature-aware LC-RIS phase-shift design



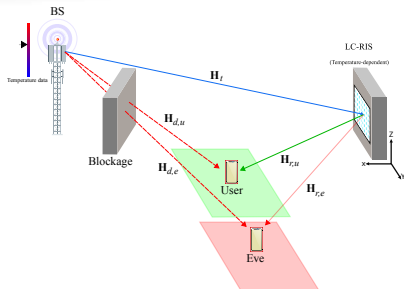
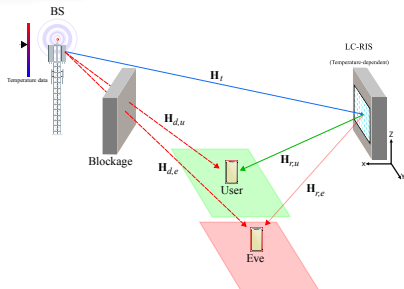


Figure: $\mathcal{P}_u$ and $\mathcal{P}_e$ are the green and red areas, respectively.



$$\text{P1: } \max_{\omega, \mathbf{q}, \alpha} \alpha$$

$$\text{s.t. C1: } \text{SR} \geq \alpha, \forall \mathbf{p}_u \in \mathcal{P}_u, \forall \mathbf{p}_e \in \mathcal{P}_e$$

$$\text{C2: } 0 \leq [\omega]_n < \omega_{\max}, \forall n,$$

$$\text{C3: } \|\mathbf{q}\|_2^2 \leq P_t.$$

α is an auxiliary variable and describes the worst case for the secure rate.

Figure: $\mathcal{P}_u$ and $\mathcal{P}_e$ are the green and red areas, respectively.

Alternative optimization on BS and RIS

1-Beamformer design:

$$\text{P2: } \max_{\mathbf{q}, \alpha} \alpha$$

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1-Beamformer design:

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Lemma

Assuming a dominant LOS link, fixed RIS phase shifts, and blocked direct channels for both the legitimate user and the eavesdropper, the optimal beamformer for P2 is given by $\mathbf{q} = \sqrt{P_t} \mathbf{a}_{\text{BS}}(\mathbf{p}_{\text{RIS}})$.

Proof.

The proof is provided in [5, Lemma 1].



2-RIS design:

$$\text{P3: } \max_{\omega, \alpha}$$

$$\text{s.t. C1: } \text{SR} \geq \alpha, \forall \mathbf{p}_u \in \mathcal{P}_u, \forall \mathbf{p}_e \in \mathcal{P}_e$$

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$$\text{C2: } 0 \leq [\omega]_n < \omega_{\max}, \forall n.$$

$$\mathbf{s} \triangleq [\mathbf{e}^{j[\omega]_1}, \dots, \mathbf{e}^{j[\omega]_N}]^T,$$

$$\mathbf{S} \triangleq \mathbf{s}\mathbf{s}^H,$$

$$\mathbf{A}_g = \frac{\text{diag}(\mathbf{h}_{r,g}^H) \mathbf{H}_t \mathbf{q} \mathbf{q}^H \mathbf{H}_t^H \text{diag}(\mathbf{h}_{r,g})}{\sigma_n^2}, g = \{u, e\},$$

$$\alpha \triangleq \log(\gamma).$$

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$$\alpha \triangleq \log(\gamma).$$

$$\widehat{\text{C1}} : (1 - \gamma) + \underbrace{\mathbf{s}^H (\mathbf{A}_u(\mathbf{p}_u) - \gamma \mathbf{A}_e(\mathbf{p}_e))}_{\mathbf{A}(\gamma)} \mathbf{s} \geq 0, \forall \mathbf{p}_u \in \mathcal{P}_u, \forall \mathbf{p}_e \in \mathcal{P}_e.$$

$$\text{P4: } \max_{\mathbf{S}, \gamma}$$

$$\text{s.t. } \widehat{\widehat{\mathbf{C1}}} : \text{tr}(\mathbf{A}(\gamma)\mathbf{S}) \geq \gamma - 1, \forall \mathbf{p}_u \in \mathcal{P}_u, \forall \mathbf{p}_e \in \mathcal{P}_e,$$

$$\text{C2: } 0 \leq [\boldsymbol{\omega}]_n < \omega_{\max}, \forall n,$$

$$\text{C3: } \mathbf{S} \succeq 0, \text{C4: } \text{rank}(\mathbf{S}) = 1, \text{C5: } \text{diag}(\mathbf{S}) = \mathbf{1}_N.$$

$$\text{P4: } \max_{\mathbf{S}, \gamma} \gamma$$

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$\widehat{\widehat{\mathbf{C1}}}$: Convex,

C2: Non-convex,

C3: Convex

C4: Non-convex,

C5: Convex.

C4: $\text{rank}(\mathbf{S}) = 1$ [6]

$$\begin{aligned} \text{P5: } \max_{\mathbf{S}, \gamma} \quad & \gamma - \eta^{(i)} \left(\|\mathbf{S}\|_* - \|\mathbf{S}^{(i)}\|_2 - \text{tr} \left(\boldsymbol{\lambda}_{\max}(\mathbf{S}^{(i)}) \right. \right. \\ & \left. \left. \times \boldsymbol{\lambda}_{\max}^H(\mathbf{S}^{(i)}) (\mathbf{S} - \mathbf{S}^{(i)}) \right) \right) \\ \text{s.t. } \quad & \widehat{\widehat{\mathbf{C1}}}, \mathbf{C2}, \mathbf{C3}, \mathbf{C5}. \end{aligned}$$

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i :	Denoting i th iteration,
$\ \mathbf{S}\ _* = \sum_j \sigma_j$:	Nuclear norm,
$\ \mathbf{S}\ _2 = \max_j \sigma_j$:	Spectral norm,
$\sigma_j, \forall j$:	Singular values of $\mathbf{S}$,
$\boldsymbol{\lambda}_{\max}(\mathbf{S})$:	Eigenvector associated with the maximum eigenvalue of matrix $\mathbf{S}$.

$$\mathbf{C2}: 0 \leq [\omega]_n < \omega_{\max}, \forall n \text{ [5]}$$

$$\begin{aligned} \text{P6: } \max_{\mathbf{S}, \gamma} \quad & \gamma - \eta^{(i)} \left(\|\mathbf{S}\|_* - \|\mathbf{S}^{(i)}\|_2 - \text{tr} \left(\boldsymbol{\lambda}_{\max}(\mathbf{S}^{(i)}) \right. \right. \\ & \left. \left. \times \boldsymbol{\lambda}_{\max}^H(\mathbf{S}^{(i)}) (\mathbf{S} - \mathbf{S}^{(i)}) \right) \right) \\ \text{s.t. } \quad & \widehat{\widehat{\mathbf{C1}}}, \widehat{\widehat{\mathbf{C2}}}, \mathbf{C3}, \mathbf{C5}. \end{aligned}$$

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$$\text{s.t. } \widehat{\mathbf{C1}}, \widehat{\mathbf{C2}}, \mathbf{C3}, \mathbf{C5}.$$

$$\widehat{\mathbf{C2}} : \text{Re} \left(\zeta \sum_{i=1}^N [\mathbf{S}]_{n,i} \right) + \tan \left(\frac{\omega_{\max}}{2} \right) \text{Im} \left(\zeta \sum_{i=1}^N [\mathbf{S}]_{n,i} \right) \leq 1, \forall n,$$

where $\text{Re}(\cdot)$ and $\text{Im}(\cdot)$ denote the real and imaginary parts, respectively.

Lemma

Let us assume ω_n is uniformly distributed in interval $[0, \omega_{\max}]$. For sufficiently large N , matrix $\mathbf{S}$ that satisfies the constraints C2-C5, also satisfies:

$$\sum_{i=1}^N [\mathbf{S}]_{n,i} = e^{j[\omega]_n} \underbrace{\frac{N(1 - e^{-j\omega_{\max}})}{j\omega_{\max}}}_{\zeta^{-1}}, \forall n.$$

Proof.

The proof is provided in [5, Lemma 2] $\square$

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The proof is provided in [5, Lemma 2] □

Lemma

The constraint $0 \leq [\omega]_n \leq \omega_{\max}$, where $\pi < \omega_{\max} < 2\pi$, is equivalent to $\text{Re}([\mathbf{s}]_n) + \tan\left(\frac{\omega_{\max}}{2}\right)\text{Im}([\mathbf{s}]_n) \leq 1$.

Proof.

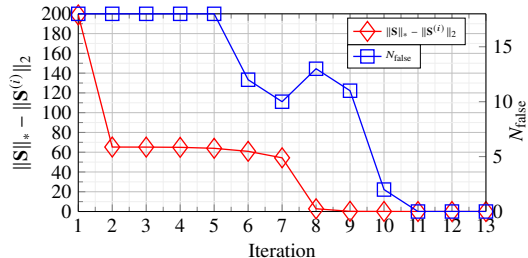
The proof is provided in [5, Lemma 3]. □

Performance Comparison



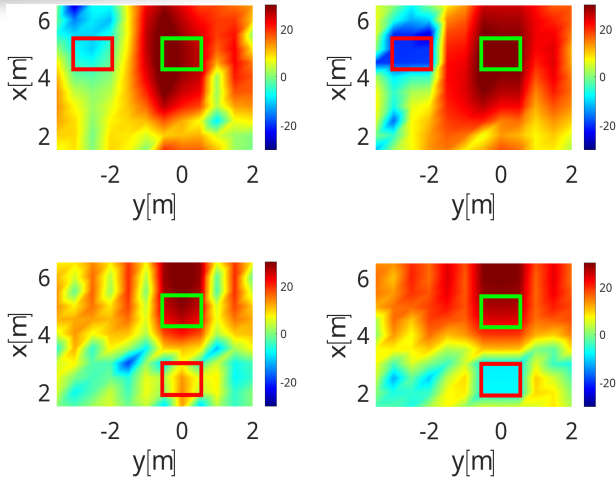
Parameter	Value
Frequency	28 GHz
Bandwidth	20 MHz
Transmission Power	40 dBm
BS Antennas (x – z axes)	4×4
RIS Elements (y – z axes)	20×10
Channel Model	Ricean
Path Loss Model	$\rho(\frac{1}{d})^\sigma$
Noise Level	-95 dBm
Direct Blockage	- 40 dB
β	0.25
T_c	127°C
T_r	17°C
T	57°C

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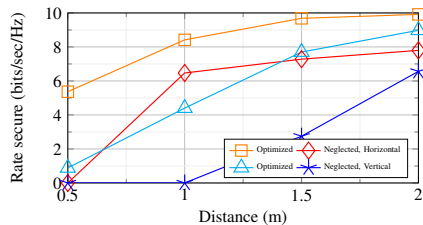
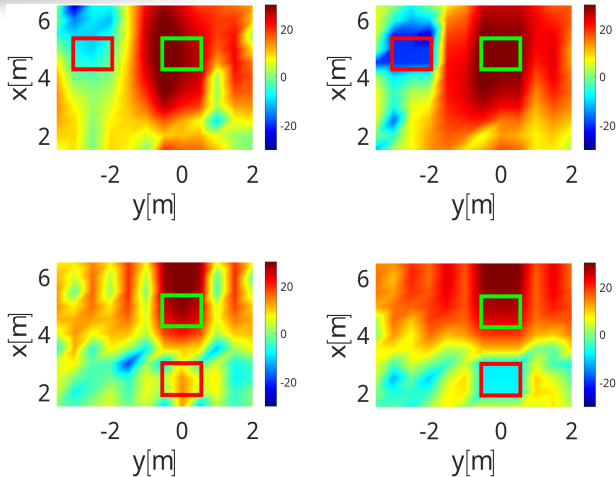
Performance Comparison

Simulation results



Performance Comparison

Simulation results



Conclusion and future works



Conclusion

We need higher frequencies and LCs are one potential way for implementation.

Despite being good candidates to implement RISs, LC's are sensitive to the temperature.

We have optimized LC-RIS phase shifts in the secure communication scenario when the temperature is not ideal.

Future works

Multi-user/eavesdropper case.

Developing a new algorithm with less complexity.

- [1] Alejandro Jiménez-Sáez et al. “RISs with LC Technology: A Hardware Design and Communication Perspective”. In: *arXiv:2308.03065* (2023).
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- [5] Mohamadreza Delbari et al. “Temperature-Aware Phase-shift Design of LC-RIS for Secure Communication”. In: *arXiv: 2411.12342* (2025).
- [6] Xianghao Yu et al. “Power-Efficient Resource Allocation for Multiuser MISO Systems via IRS”. In: *Globecom.* 2020, pp. 1–6. doi: 10.1109/GLOBECOM42002.2020.9348054.

Thank you for your attention

Should you have any questions, please send me via email:

mohamadreza.delbari@tu-darmstadt.de

Link to the paper:

